



**Assignments for the lecture on**  
*Random Matrices*  
Winter term 2019/20

**Assignment 11**  
Hand in on Monday, 27.01.20, Mailbox 040.

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**Exercise 1** (10 points).

Read the notes "Random Matrix Theory and its Innovative Applications" by A. Edelman and Y. Wang,

[http://math.mit.edu/~edelman/publications/random\\_matrix\\_theory\\_innovative.pdf](http://math.mit.edu/~edelman/publications/random_matrix_theory_innovative.pdf)

and implement its "Code 7" for calculating the Tracy-Widom distribution (via solving Painlevé equation) and compare the output with the histogram for the rescaled largest eigenvalue for the GUE from Assignment 9, Exercise 1.

**Exercise 2** (10+5\* points).

For  $N = 100, 1000, 5000$  plot in the complex plane the eigenvalues of one  $N \times N$  random matrix  $\frac{1}{\sqrt{N}}A_N$ , where all entries (without symmetry condition) are independent and identically distributed according to the

- (i) standard Gaussian distribution;
- (ii) symmetric Bernoulli distribution;
- \* (iii) Cauchy distribution.